

An aerial photograph of sand dunes at sunset. The dunes are illuminated from the right, creating long, soft shadows and highlighting the undulating curves of the sand. The sky is a pale, hazy yellow, suggesting the sun is low on the horizon. The overall color palette is dominated by warm yellows, oranges, and soft blues.

Thermodynamics

Auburn Mountainview: Physics

Karl Steffin, 2008

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Temperature

- There are many temperature scales.
- Two of them are absolutes (H₂O fusion/condense):

- Kelvin-K (273.15/373.15)

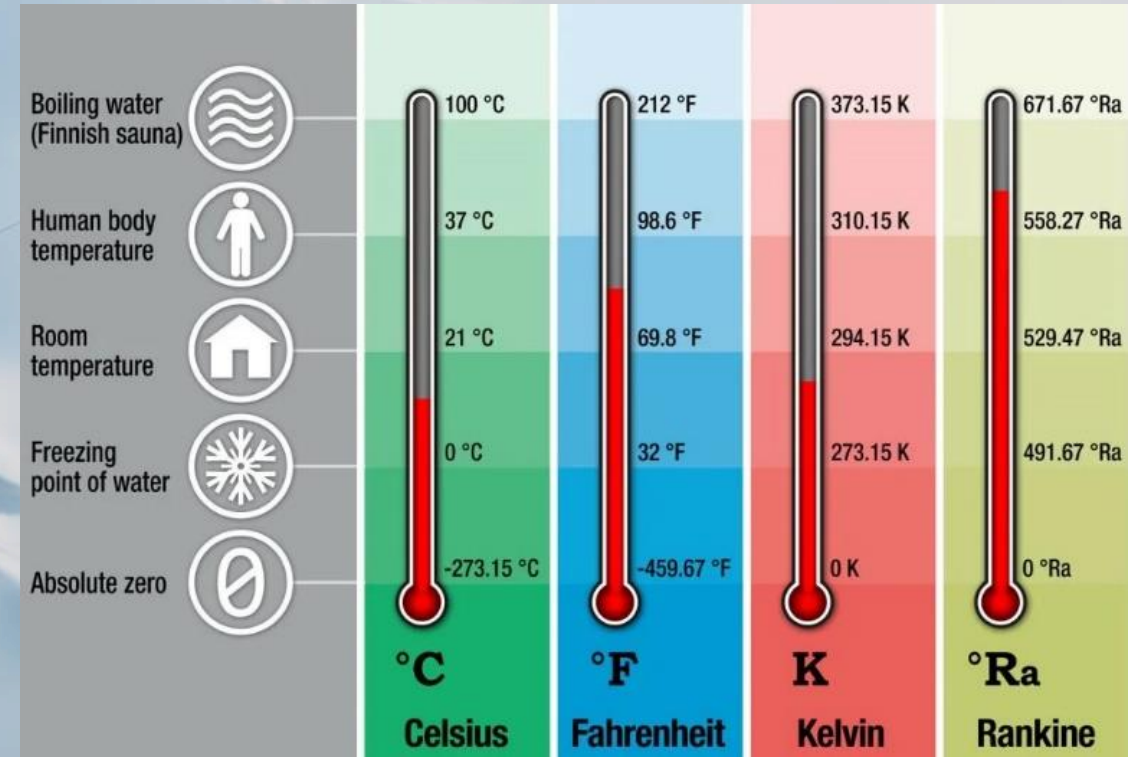
- Celsius (Centigrade)-°C (0/100)

- Rankine-°R (491/671)

- Fahrenheit-°F (32/212)

- $F \rightarrow C: T_F = (9/5)T_C + 32$

- $C \rightarrow K: T_K = T_C + 273.15$



Linear Expansion

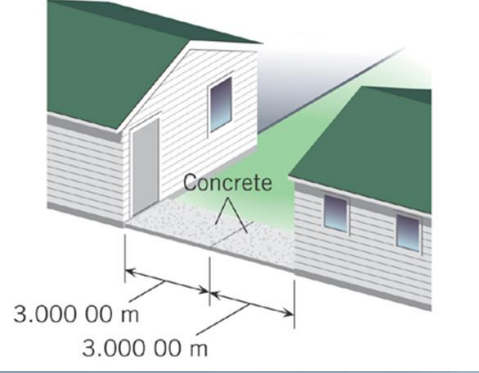
- When heated up a solid will expand.
 - The expansion in any one dimension is called Linear Thermal Expansion.

$$\Delta L = \alpha L_0 \Delta T$$

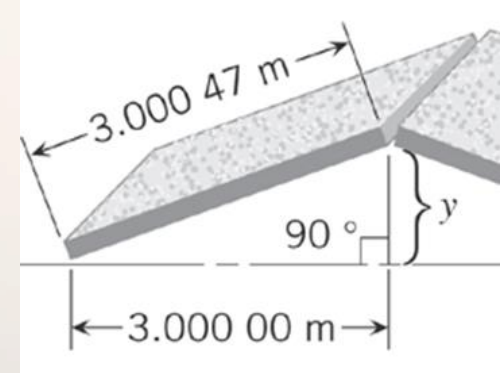
- The expansion in all dimensions is called Volumetric Thermal Expansion.

- $\Delta V = \beta V_0 \Delta T$





Example 1



Two 3.00-m concrete sidewalk slabs ($\alpha=12 \times 10^{-6}\text{-}^{\circ}\text{C}^{-1}$) at $25.00\text{-}^{\circ}\text{C}$ is between two buildings. When the temperature raises to $38.00\text{-}^{\circ}\text{C}$ calculate how high the slabs buckle.

$$\Delta L = \alpha L_o \Delta T$$

$$\Delta L = 12 \times 10^{-6} \frac{1}{^{\circ}\text{C}} \cdot 3 \text{ m} \cdot 13 \text{ }^{\circ}\text{C}$$

$$\Delta L = 4.68 \times 10^{-4} \text{ m}$$

$$\Delta L =$$

$$\alpha = 12 \times 10^{-6}\text{-}^{\circ}\text{C}^{-1}$$

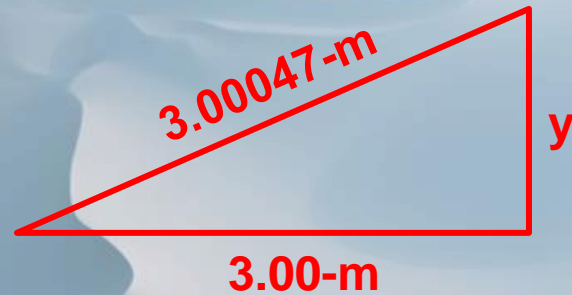
$$L_o = 3.00\text{-m}$$

$$\Delta T = (38-25)\text{-}^{\circ}\text{C}$$

Example 1 Cont.

Using the original length as the base and new length as a hypotenuse, solve for the height (y).

$$a^2 + b^2 = c^2$$



$$(3 - m)^2 + y^2 = (3.000468 - m)^2$$

$$y^2 = .002820 - m^2$$

$$y = .0531 - m$$



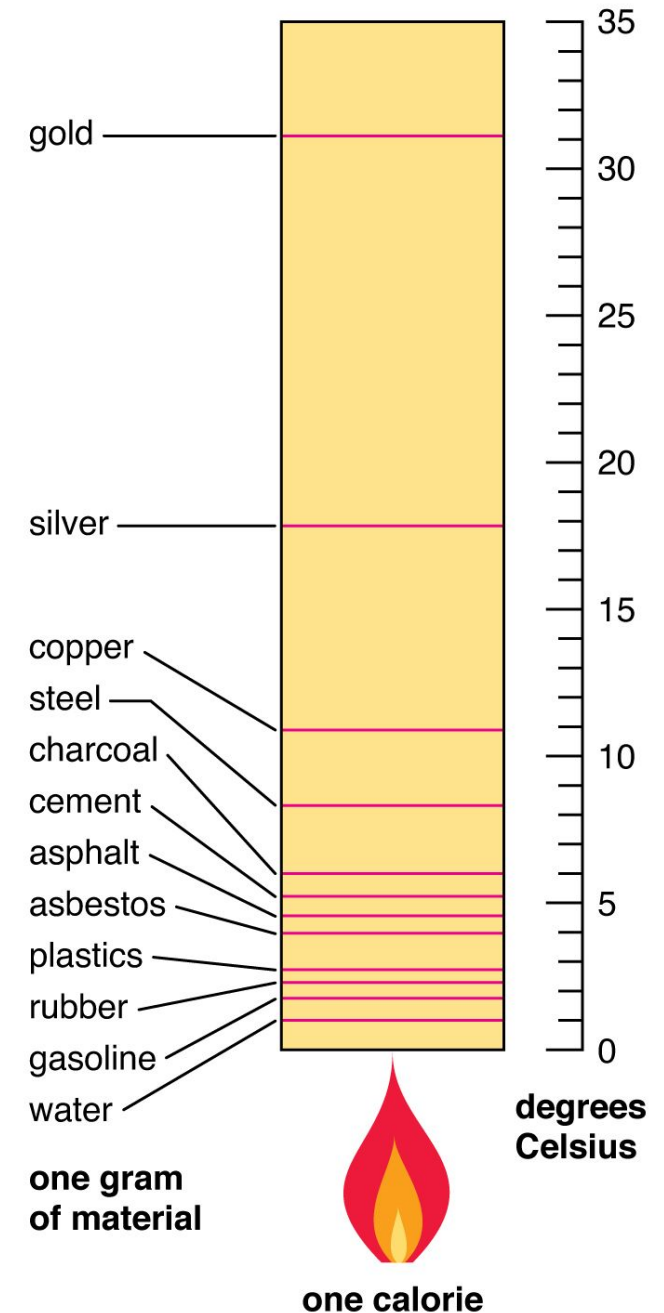
$$y = 5.31 \times 10^{-2} - m$$

Heat

- Heat is the amount of energy (J) that flows from a high temp source to a low one.
- Solids and Liquids hold heat differently, so they have specific heats; c.
- The heat (Q) needed to increase an objects temperature is defined by;

$$Q = cm\Delta T$$

Temperature and specific heat





Example 2

An 8-minute shower uses 17-kg. Water enters a heater at 10.00-°C. How much heat is needed to raise the water to 50.00-°C?

PSE charges 14-¢ per kW·hr, how much does this cost?

$$Q = cm\Delta T$$

$$Q = 4186 \frac{J}{kg^{\circ}C} \cdot 17 - kg \cdot 40 - ^{\circ}C$$

$$Q = 2846480 - J$$

$$Q =$$

$$c = 4186\text{-J/Kg}\cdot^{\circ}C$$

$$m = 17\text{-kg}$$

$$\Delta T = 50\text{-}10\text{-}^{\circ}C$$

$$Q = 2.84 \times 10^6 - J$$

Example 2 Cont.

How much does this cost?



$$Q = 2.84 \times 10^6 - J \cdot \frac{1 - W}{1 - \frac{1}{s}}$$

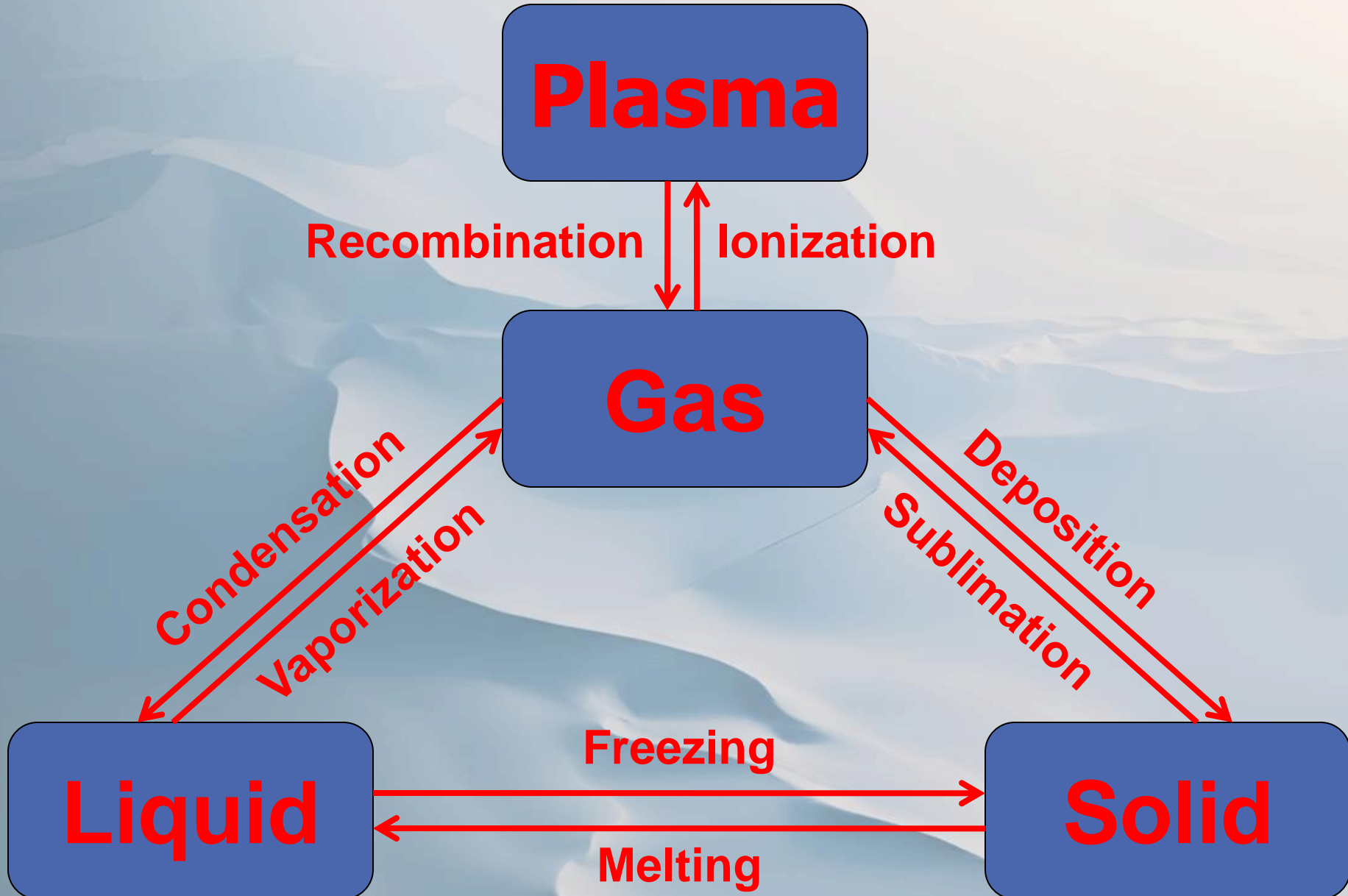
$$Q = 2.84 \times 10^6 - Ws \cdot \frac{1 - hr}{3600 - s}$$

$$Q = 790.69 - Whr \cdot \frac{1 - k}{1000}$$

$$Cost = .79069 - kWhr \cdot \frac{14 - \text{¢}}{kW \cdot hr}$$

$$Cost = \frac{14 - \text{¢}}{kW \cdot hr}$$

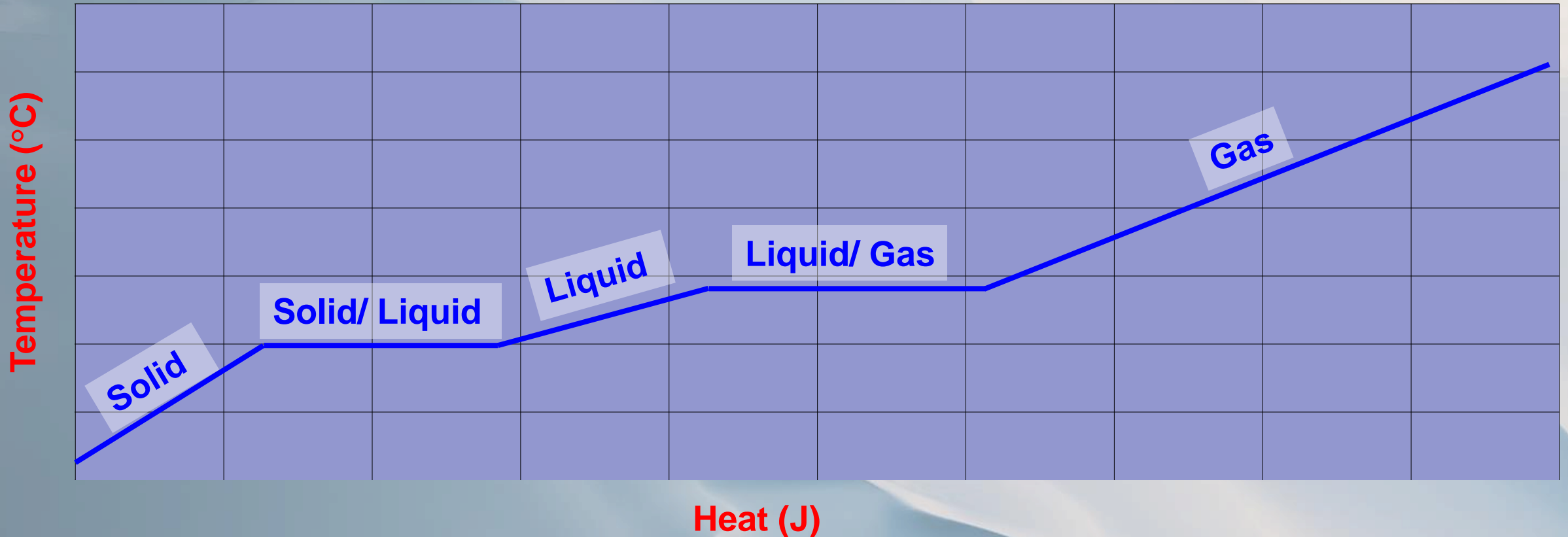
$$Q = 11.06 - \text{¢}$$



Phase Changes

- Look at the below graph of a typical material.

Phase Change Diagram (heating)



Cooling graphs will have negative slopes.

Critical Points

- **While changing phases: solid \leftrightarrow liquid or liquid \leftrightarrow gas the temperature does not change.**
 - All heat is used to form/break bonds.
 - Solid \leftrightarrow Liquid: Freezing or Melting
 - Liquid \leftrightarrow Gas: Condensing or Evaporating
- **For changing a phase state, every material has its own amount of Heat (J) per kilogram needed to convert all the material to the new phase.**

Latent Heat

- The heat needed to be added or removed for each substance to change phases is called the Latent Heat.

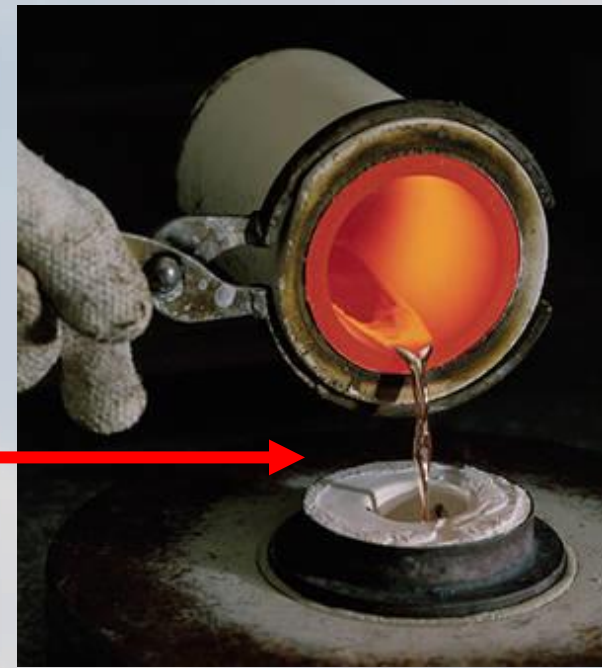
$$Q = mL$$

- For Solid \leftrightarrow Liquid: Latent Heat of Fusion L_F (J/kg).
 - For Liquid \leftrightarrow Gas: Latent Heat of Vaporization L_V (J/kg).
- Remember while either solid, liquid, or gas the heat needed to reach the next phase state is: $Q = cm\Delta T$.

Example 3

To make a ring 20.00-g of silver needs to be heated 1200.00-°C. Assuming the silver starts at room temperature (20.00-°C), how much heat is needed?

Substance	Melting Point (°C)	Latent Heat of Fusion (J/kg)	Boiling Point (°C)	Specific Heat Capacity (J/Kg·°C)
Silver	961.78	10.46×10^4	2162.00	235.00



Example: Three parts (1+3)



1. Heating the Solid Silver (20.00-°C→961.78-°C)
 2. Melting the Silver (Heat Latent Fusion)
 3. Heating the Liquid Silver (961.78-°C→1200.00-°C)
- As 1. + 3. use the same 'c' they may be combined.

$$Q_{1+3} = cm\Delta T$$

$$Q_{1+3} = 235 - \frac{J}{kg^{\circ}C} \cdot .02 - kg \cdot 1180 - ^{\circ}C$$

$$Q_{1+3} = 5546 - J$$

$$Q =$$

$$c = 235\text{-J/kg}\cdot^{\circ}C$$

$$m = 20\text{-g}$$

$$\Delta T = 1200\text{-}20\text{-}^{\circ}C$$

Example: Three parts (2)



1. Heating the Solid Silver (20.00-°C→961.78-°C)
 2. Melting the Silver (Heat Latent Fusion)
 3. Heating the Liquid Silver (961.78-°C→1200.00-°C)
- As 1. + 3. use the same 'c' they may be combined.

$$Q_2 = mL$$

$$Q_2 = 10.46 \times 10^4 \frac{J}{kg} \cdot 0.02 \text{ kg}$$

$$Q_2 = 2092 \text{ J}$$

$$\Sigma Q = Q_{1+3} + Q_2 = 5546 \text{ J} + 2092 \text{ J}$$

$$Q =$$

$$m = 20\text{-g}$$

$$L = 10.46 \times 10^4\text{-J/kg}$$

$$\Sigma Q = 7638.00 \text{ J}$$

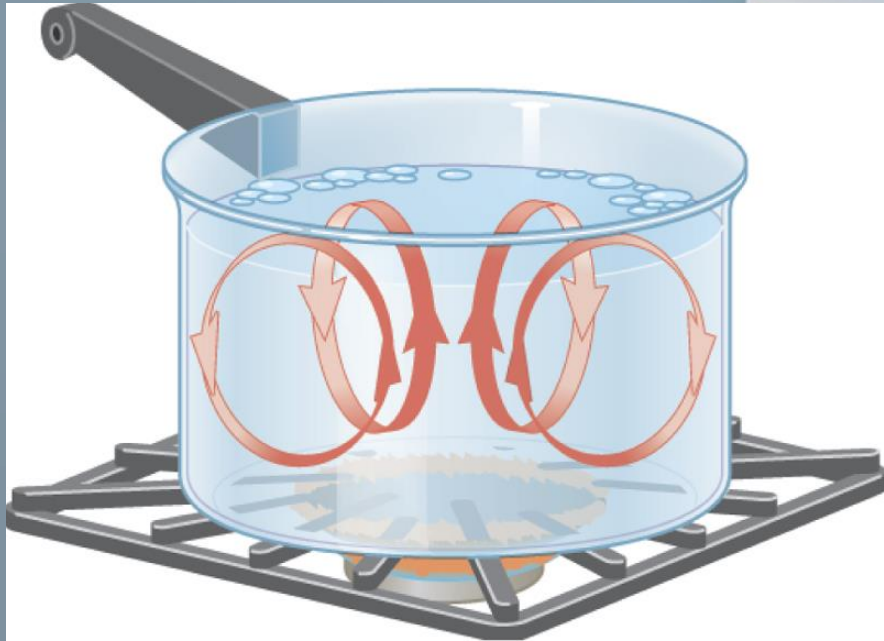
Transferring Heat

- **There are three ways to transfer heat.**
 - **Convection: Transfer due to the bulk movement of a fluid.**
 - **Conduction: Transfer directly through a material.**
 - **Radiation: Transfer by electromagnetic radiation.**

Convection

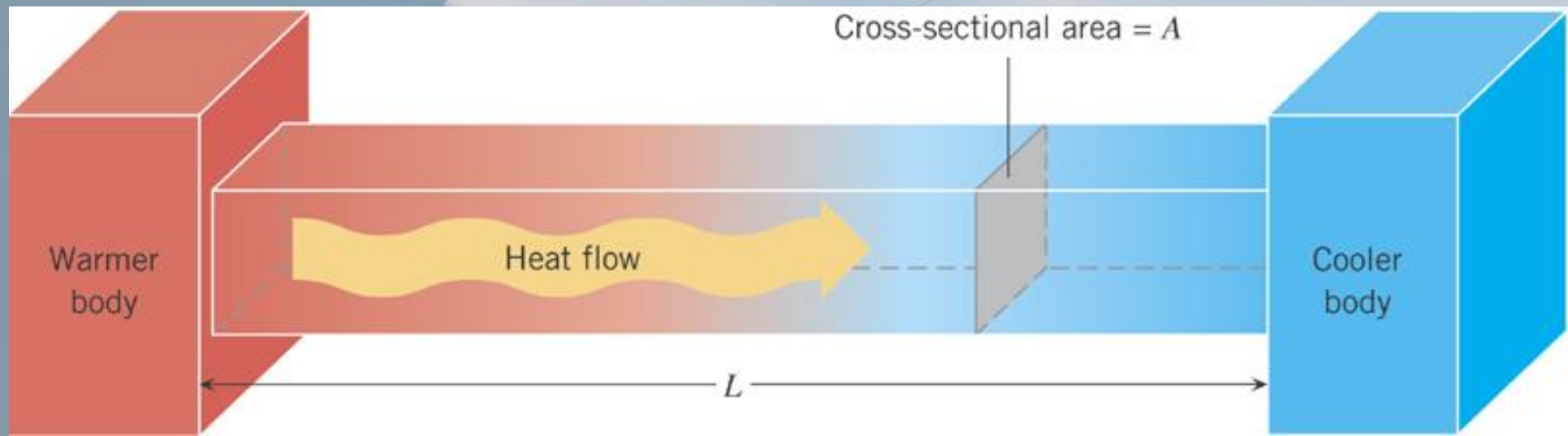
– Water is a key example:

- Heat at bottom; Hot water rises and cold sinks. This allows the colder water to get to the bottom and continue the cycle.
- The opposite also occurs on a lake (top cooled).



Conduction

- Heat is a fluid.
 - Due to gravity, a liquid will flow from high to low.
 - Heat too flows from a higher to lower energy source.
- Conduction occurs when a material is touching a source with more heat.



Radiation

- Energy given off by electromagnetic rays.
 - Black objects absorb radiation, White objects reflect it.

